

Study programmes: BACHELOR STUDIES – Mathematics (module ML)			
Course name: Selected Topics of Analysis B			
Lecturers: Miodrag Mateljević, Miljan Knežević, Vladimir Božin			
Status: Optional			
ECTS: 6			
Attendance prerequisites: Analysis 1, Analysis 2, Introduction to Complex Analysis			
Course aims: Expanding and deepening knowledge from complex analysis and its applications.			
Course outcome: The student should master special knowledge and acquire a substantially understanding of the learned mathematical content.			
Course content:			
<ol style="list-style-type: none"> 1. Complex numbers and geometry. History of complex numbers. Cubic equation. Euler's formula. Applications of complex numbers in trigonometry, geometry, analysis and algebra. 2. Complex functions as geometric transformations. Polynomials. Power series. The exponential functions. Cosine and sine. Multifunctions. The logarithm function. Applications. 3. Möbius transformation and inversion. The Riemann sphere. Definition and decomposition of Möbius transformation on simple transformations. Inversion. Preservation of circles, angles and symmetry. The cross-ratio. Determination of Möbius transformation. Fixed points of Möbius transformations. Möbius transformations as matrices. Visualization and classification of Möbius transformations. 4. Conformal isomorphisms and automorphisms. The Schwarz lemma. Groups $\text{Aut}(U)$ and $\text{Aut}(H)$. The Riemann mapping theorem. 5. Applications in hyperbolic geometry. The Poincaré disk model and the Poincaré half-plane model. The hyperbolic density, the hyperbolic distance and hyperbolic length on disk and half-plane. Classification of isometries of the hyperbolic plane. 			
Literature:			
<ol style="list-style-type: none"> 1. T. Needham, Visual Complex Analysis, Clarendon press Oxford, 1997. 2. M. Mateljević, Kompleksna analiza 2, Zavod za udžbenike, Beograd 2012. 			
Number of hours: 5	Lectures: 3	Tutorials: 2	Laboratory: -
Research: -			
Teaching and learning methods: Frontal / Tutorial			
Assessment (maximal 100 points)			
Course assignments	points	Final exam	points
Lectures	10	Written exam	40
Exercises / Tutorials	-	Oral exam	30
Colloquia	-	Written-oral exam	-
Essay / Project	20		